

# Digital Positron Lifetime @ EPOS

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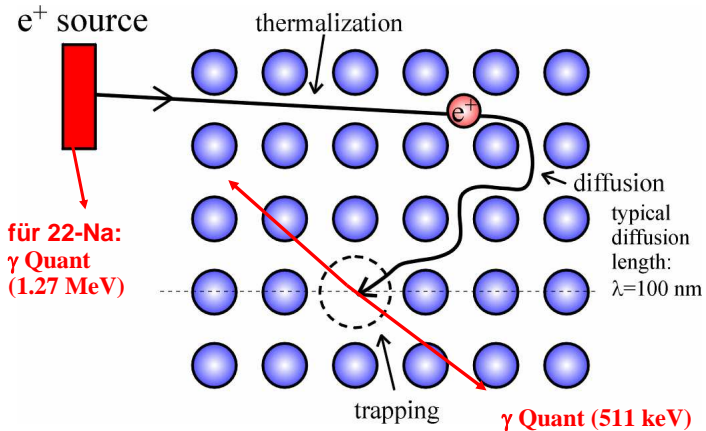
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University Leipzig – Oktober 22th, 2008

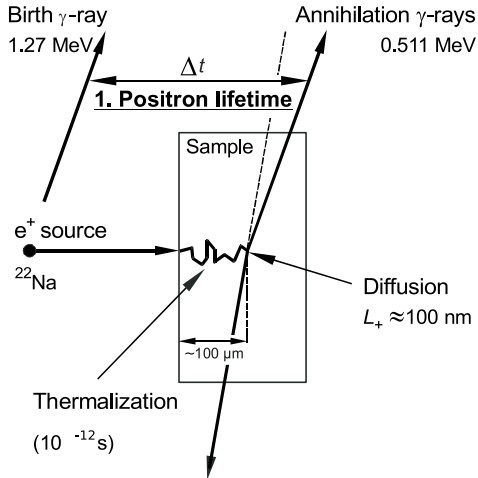
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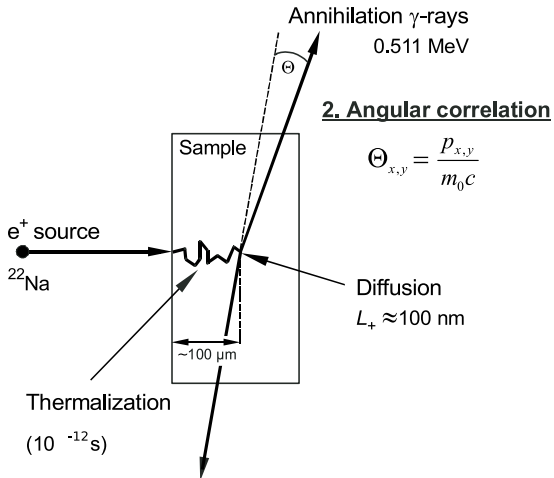
# Positrons



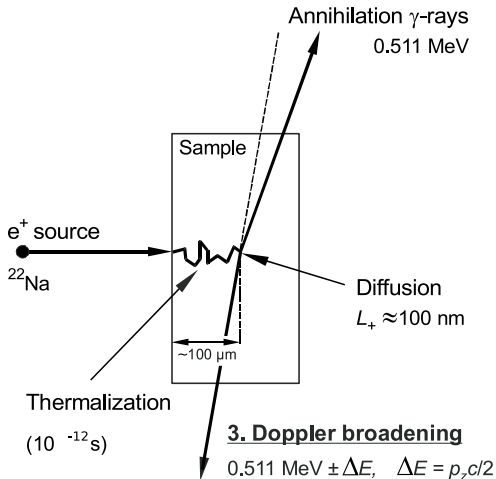
# Positrons: Decay Parameters



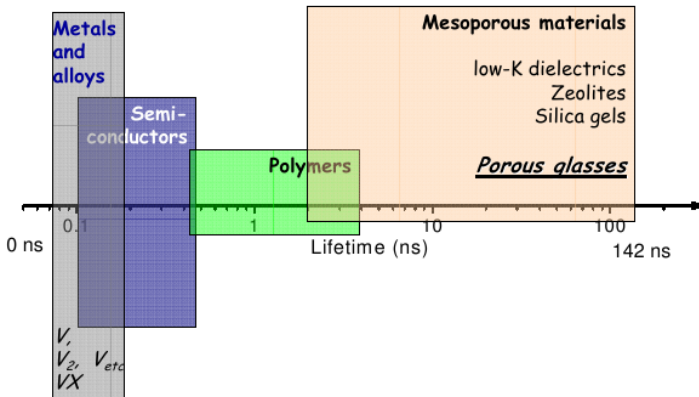
# Positrons: Decay Parameters



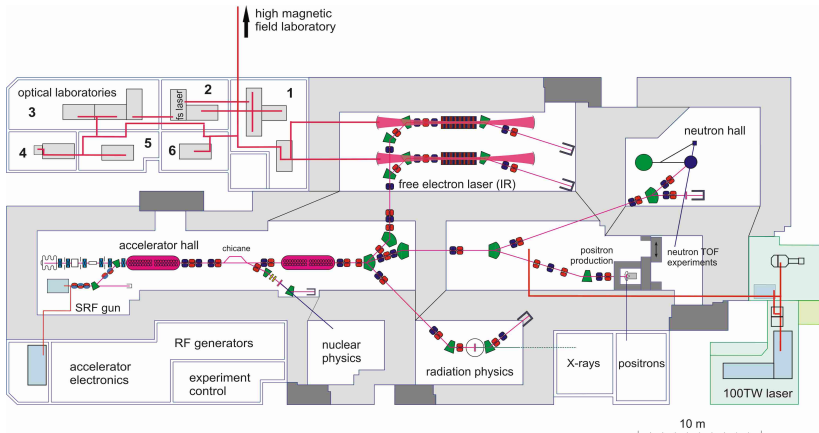
# Positrons: Decay Parameters



# Fields of Usage



# EPOS @ ELBE

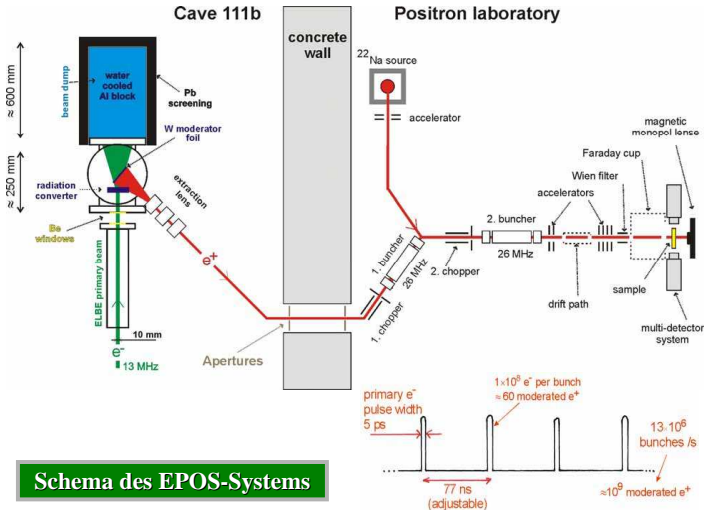


- 1: Diagnostic station, IR-imaging and biological IR experiment
- 2: Femtosecond laser, THz-spectroscopy, IR pump-probe experiment
- 3: Time-resolved semiconductor spectroscopy, THz-spectroscopy

- 4: FTIR, biological IR experiment
- 5: Near-field and pump-probe IR experiment
- 6: Radiochemistry and sum frequency generation experiment, photothermal deflection spectroscopy



# Basic Concept



Schema des EPOS-Systems

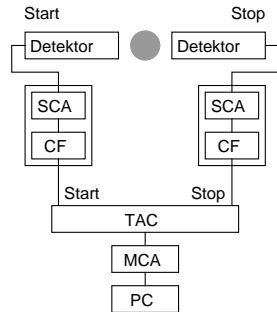
# Key features of EPOS

- Positrons by pair production
- Unique time structure
  - High repetition rate (77ns)
  - Sharp pulses ( $\sim 5$ ps)
  - Machine pulse for start of lifetime measurements
- Good timing resolution
- Full digital measurement and control
- Project started 2001
- First positrons planned for end 2008
- User dedicated facility
- User access should start 2009/2010

# Basic Setup

## Analog Setup:

- $\gamma$ -quants detected by scintillator and photomultiplier
- Energy-discrimination with SCA
- Event extraction with CF
- Time measurement with TAC
- Spectrum with MCA



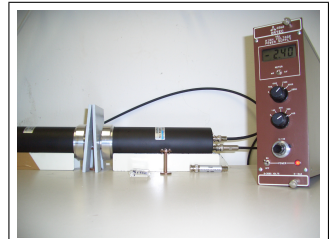
# Analog vs. Digital

## The task

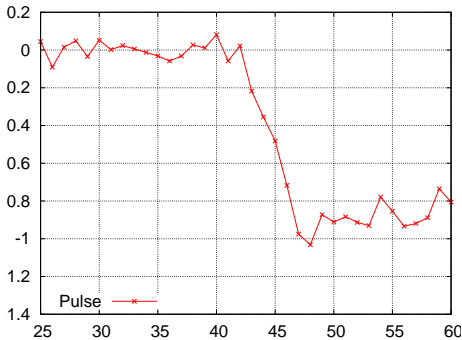
Replace all the (50+ years old) analog electronics with PC, digitizer and mathematics.

Benefits of digital processing:

- + Cheaper
- + Simpler
- + Better time base
- + Easy to extent/change
  - Less knowledge available
- ? Better timing resolution

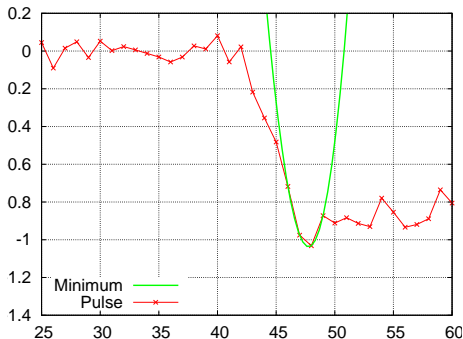


# The Algorithms to Extract the Timing Information



How to extract the timing information?

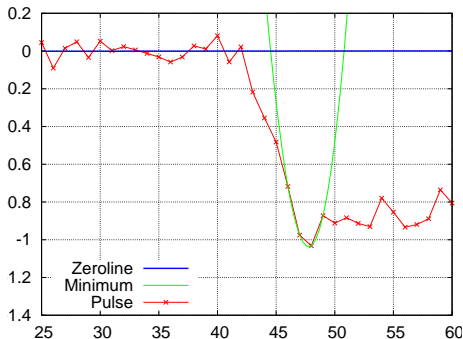
# Algorithms: PolyCF



- 1 Find and interpolate the extremum<sup>1</sup>
- 2 Determine the zeroline (and its deviation) before the extremum
- 3 Interpolate the constant fraction point on the rising slope between zeroline and extremum<sup>1</sup>
- 4 Lifetime =  
 $t_{Channel\ 1} - t_{Channel\ 2}$

<sup>1</sup>By simple polynomial interpolation of 3rd order.

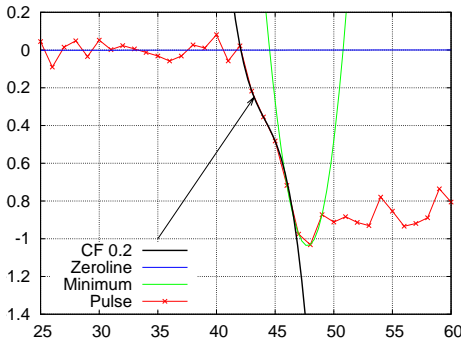
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# Algorithms: PolyCF

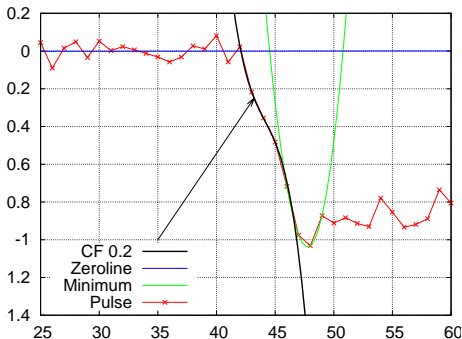


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# Algorithms: PolyCF



- 1 Find and interpolate the extremum<sup>1</sup>
- 2 Determine the zero line (and its deviation) before the extremum
- 3 Interpolate the constant fraction point on the rising slope between zero line and extremum<sup>1</sup>
- 4 Lifetime =  
 $t_{Channel\ 1} - t_{Channel\ 2}$

Similar to analog constant fraction, called *true constant fraction* by [Bečvář, 2007].

# Algorithms: integral Constant Fraction (iCF)

- 1 Integrate the pulse
- 2 Filter on risetime of integrated signal  
*rightarrow* Pulse-shape of original signal
- 3 Do *true constant fraction* like before on integrated signal

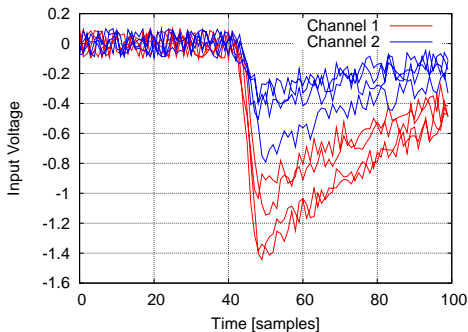
Seems to give better timing resolution of 144ps [Bečvář, 2007].

# Timing Resolutions

Method	Lit. / Setup	Resolution (FWHM)
Analog measurements		our lab: >200ps
Polynom-Int.	[Bečvář et al., 2005] 4GS/s 1GHz 8bit: 4GS/s 1GHz 8bit	150ps ~170ps <sup>60</sup> Co, 230ps Si
Gauss-Int.	[Aavikko et al., 2005] 4GS/s 1GHz 8bit:	200ps
(Smoothing) Spline	[Saito et al., 2002] 4GS/s 1GHz 8bit: [Bardelli et al., 2004] 100MS/s 50MHz 12bit:	118ps - 144ps 100ps - 125ps ~170ps <sup>60</sup> Co
Integral CF	[Bečvář, 2007]	~144ps

# The Influence of Noise: Generated Pulses

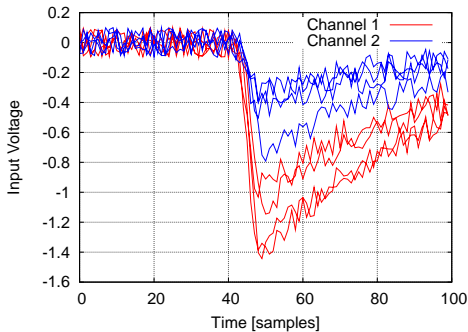
Four pulse pairs generated  
by EPOS Software



## Side Note

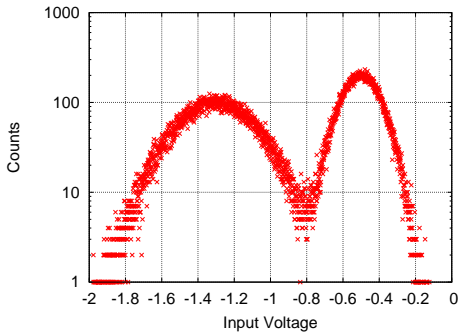
The EPOS Software is gone open-source and looking for users!  
See <http://positron.physik.uni-halle.de/EPOS/Software>.

# The Influence of Noise: Shape



- Shaped like LSO on Hamamatsu H3378-50
- Risetime like 4 GS/s

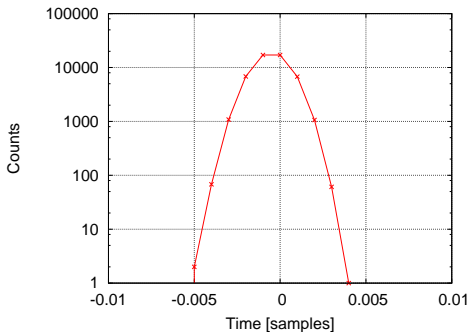
# The Influence of Noise: Energy Spectrum



- Shaped like LSO on Hamamatsu H3378-50
- Risetime like 4 GS/s
- Energy distribution like  $^{22}\text{Na}$

- Energy spectrum closely to  $^{22}\text{Na}$  but idealistic.

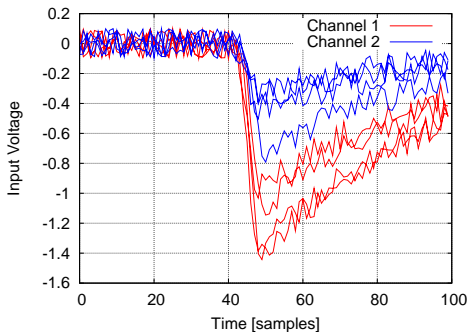
# The Influence of Noise: Timing Distribution



- Shaped like LSO on Hamamatsu H3378-50
- Risetime like 4 GS/s
- Energy distribution like  $^{22}\text{Na}$
- Gaussian distributed timing

- Shift between pulses is Gaussian distributed.
- Shift of pulses to sampling clock is box distributed.

# The Influence of Noise: Bit-depth

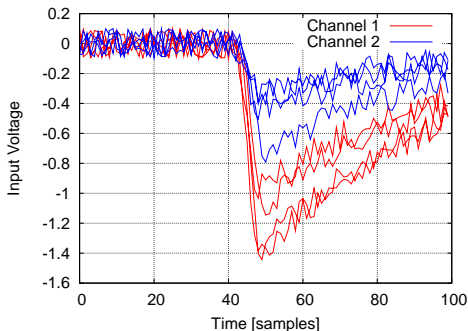


- Shaped like LSO on Hamamatsu H3378-50
- Risetime like 4 GS/s
- Energy distribution like  $^{22}\text{Na}$
- Gaussian distributed timing
- Variable bit-depth

- Possible bit-depths: 1-32 bits
- Native double resolution also possible



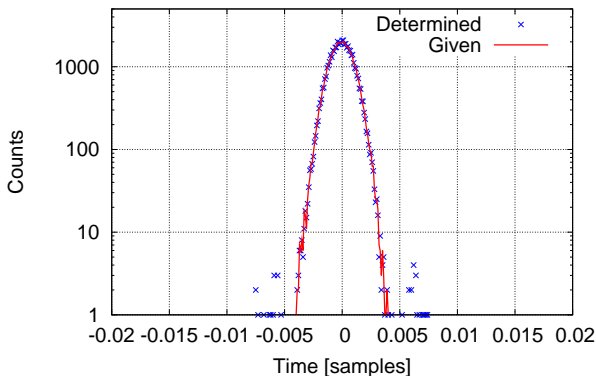
# The Influence of Noise: Adding Noise



- Shaped like LSO on Hamamatsu H3378-50
- Risetime like 4 GS/s
- Energy distribution like  $^{22}\text{Na}$
- Gaussian distributed timing
- Variable bit-depth
- White noise added as wanted

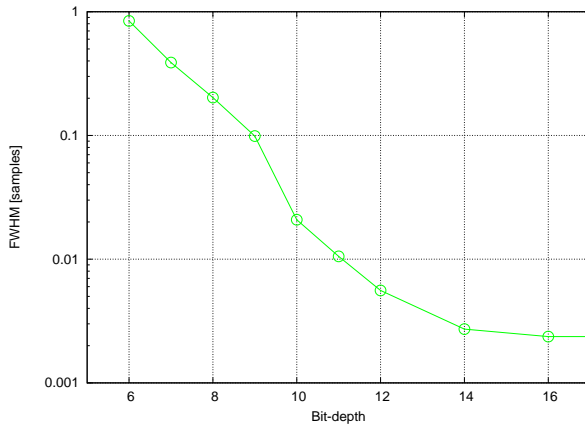
- White noise to simulate the uncertainties of the analog electronics.
- Level can be adjusted as wanted.

# Double Resolution without Noise



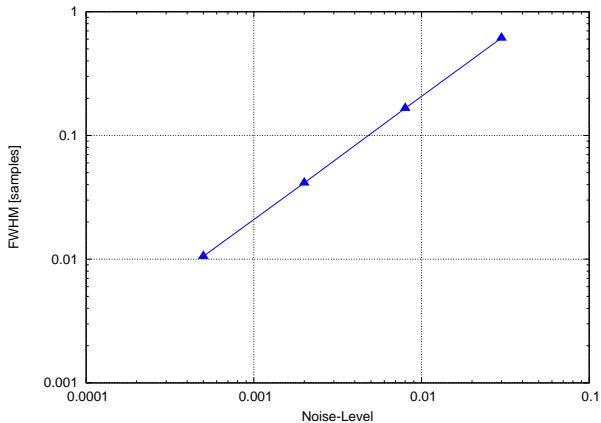
- No noise, native double resolution
- Given timing distribution:  $\text{FWHM} = 0.0023582 \text{ samples} \equiv 0.589 \text{ ps}$
- Given distribution (—)  $\equiv$  determined resolution (×)  
⇒ Method works

# Reducing the Bit-depth



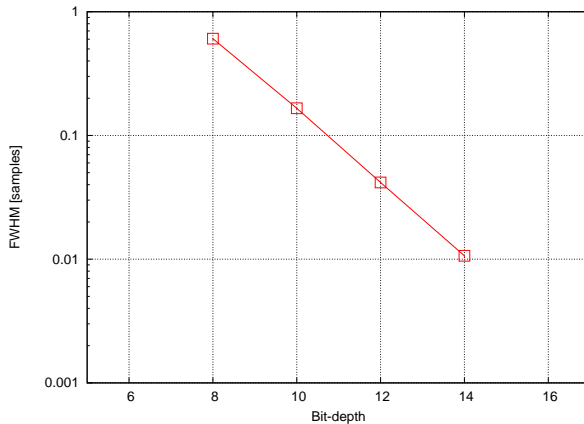
- Reduced bit-depth, no noise
- Timing resolution at 8-bit: **0.202 samples  $\equiv$  50 ps**

# Noise of Effective Bits



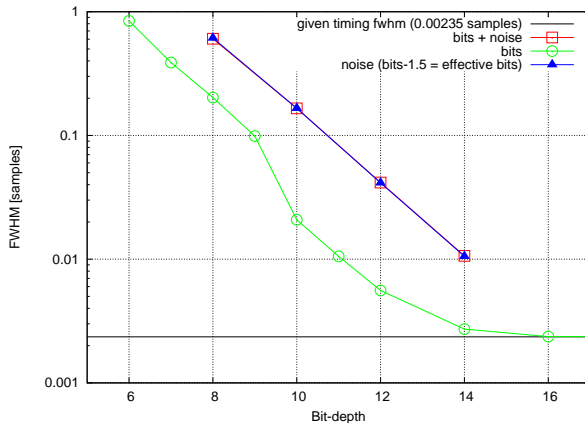
- Native double resolution, noise according to effective bits added
- Strong log-log dependency of timing resolution and noise level.

# Noise and Reduced Bit-depth



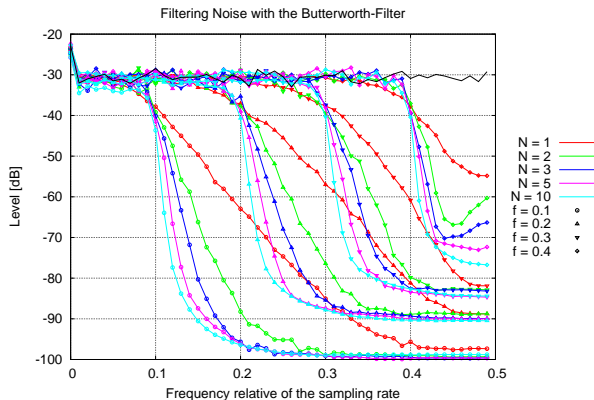
- Reduced bit-depth and noise from effective bits
- Timing resolution at 8-bit: **0.612 samples  $\equiv$  153 ps**

# Finally Comparing the results



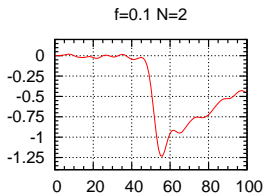
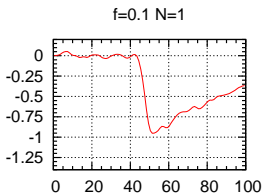
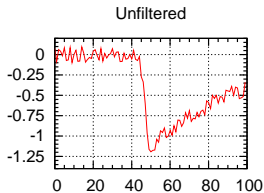
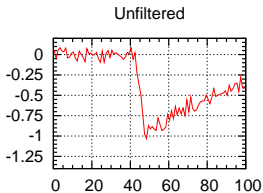
- Noise from effective bits has most influence
- Resulting timing resolutions: **8-bit: 153 ps, 10-bit: 41 ps**

# The Influence of Noise



- Butterworth lowpass (implementation taken from literature [Stearns, 1975])
- Order and cutoff frequency can be set

# The Influence of Noise

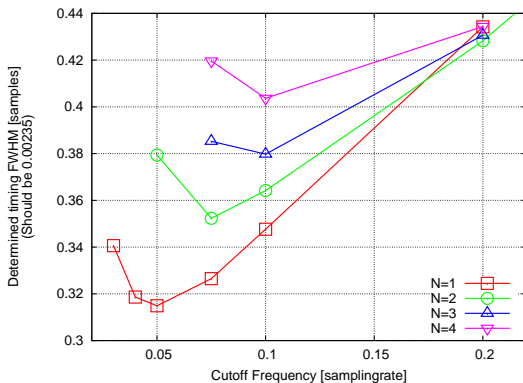


Upper row Original signals as generated

Lower row Filtered by lowpass



# The Influence of Noise: Results



## Best Timing Resolution

$N = 1$  and  $f = 0.05$  has FWHM of **0.31 samples  $\equiv$  75 ps.**

# Comparison of the Results

Method	Relative Timing FWHM [samples]	4-GS/s “real” FWHM [ps]
Vertical quantization (8-bit)	0.202 samples	50 ps
Noise of effective 6.5 bit	0.612 samples	153 ps
Butterworth-Lowpass f=0.05 N=1	0.314 samples	75 ps

## Comparing the results.

Lowpass filtering can almost remove the effect of the noise added from the analog electronics.

⇒ All with simple polynom interpolation for energy and constant fraction.

# Next Task: Comparing Photomultipliers

## Comparing Photomultipliers

- Hamamatsu H3378-50
- Photonis XP20Z8

### Measurement Program:

- Energy resolution (same scintillators!)
- Timing resolution (same scintillators and source/sample)
  - *currently running*
- Risetime, Pile-up, Pulse-Shape (DFT, etc...)

# Next Task: Comparing Scintillators

## Compare Scintillators

- BaF<sub>2</sub>
- LSO
- ZnO
- LaBr<sub>3</sub>(Ce)

### Measurement Program:

- Energy Spectrum/Resolution
- Risetime / Pulse-shape
- Relative Effectivity (through  $\frac{1}{r^2}$ )
- Optical Spectrum

# Thanks for your attention!

Get the slides from <http://positron.physik.uni-halle.de>.

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